

Ohm's Law: $V = IR$

Power dissipated (Joule heating) =

$$P = I^2R = IV$$

Kirchoff's Loop equation: $\sum_{\text{closed loop}} V_i = 0$

Kirchoff's junction rule: $\sum_{\text{entering/leaving junction}} I_i = 0$

Resistors in series: $R_{\text{eq}} = R_1 + R_2 + \dots$

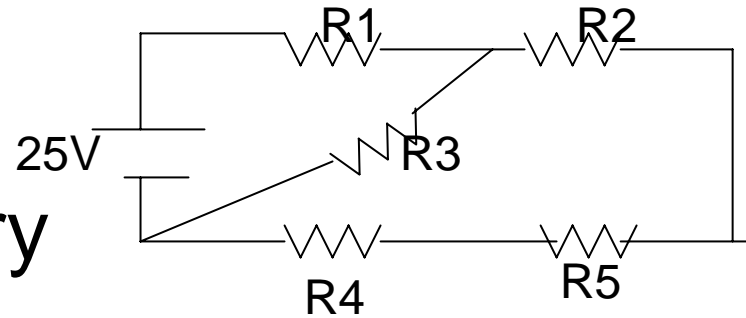
Resistors in parallel: $R_{\text{eq}}^{-1} = R_1^{-1} + R_2^{-1} + \dots$

Capacitors in series: $C_{\text{eq}}^{-1} = C_1^{-1} + C_2^{-1} + \dots$

Capacitors in parallel: $C_{\text{eq}} = C_1 + C_2 + \dots$

Group Problems

1. R combo – all $100\ \Omega$

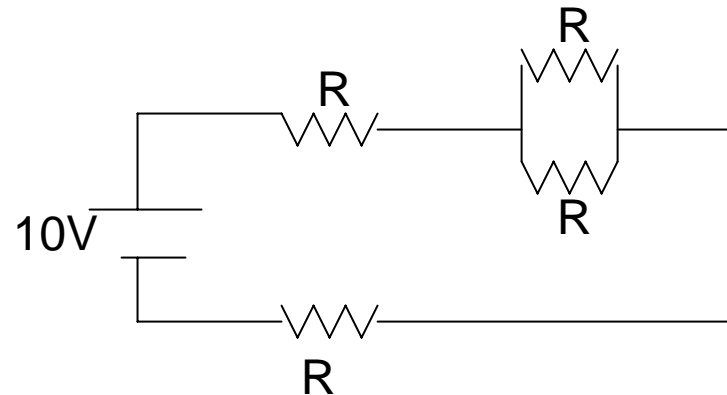


a) Find I from the battery

b) Find I through each R

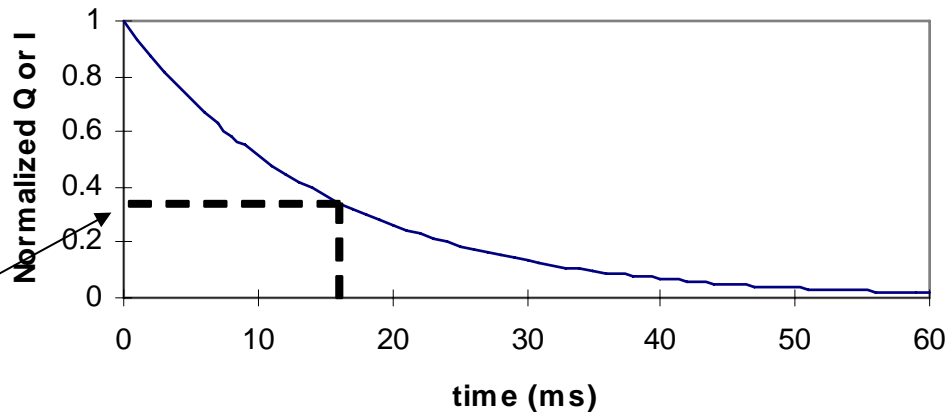
2. a) Find equivalent R (in terms of R)

b) Find the battery current if $R = 100\ \Omega$



Simple RC Series circuit

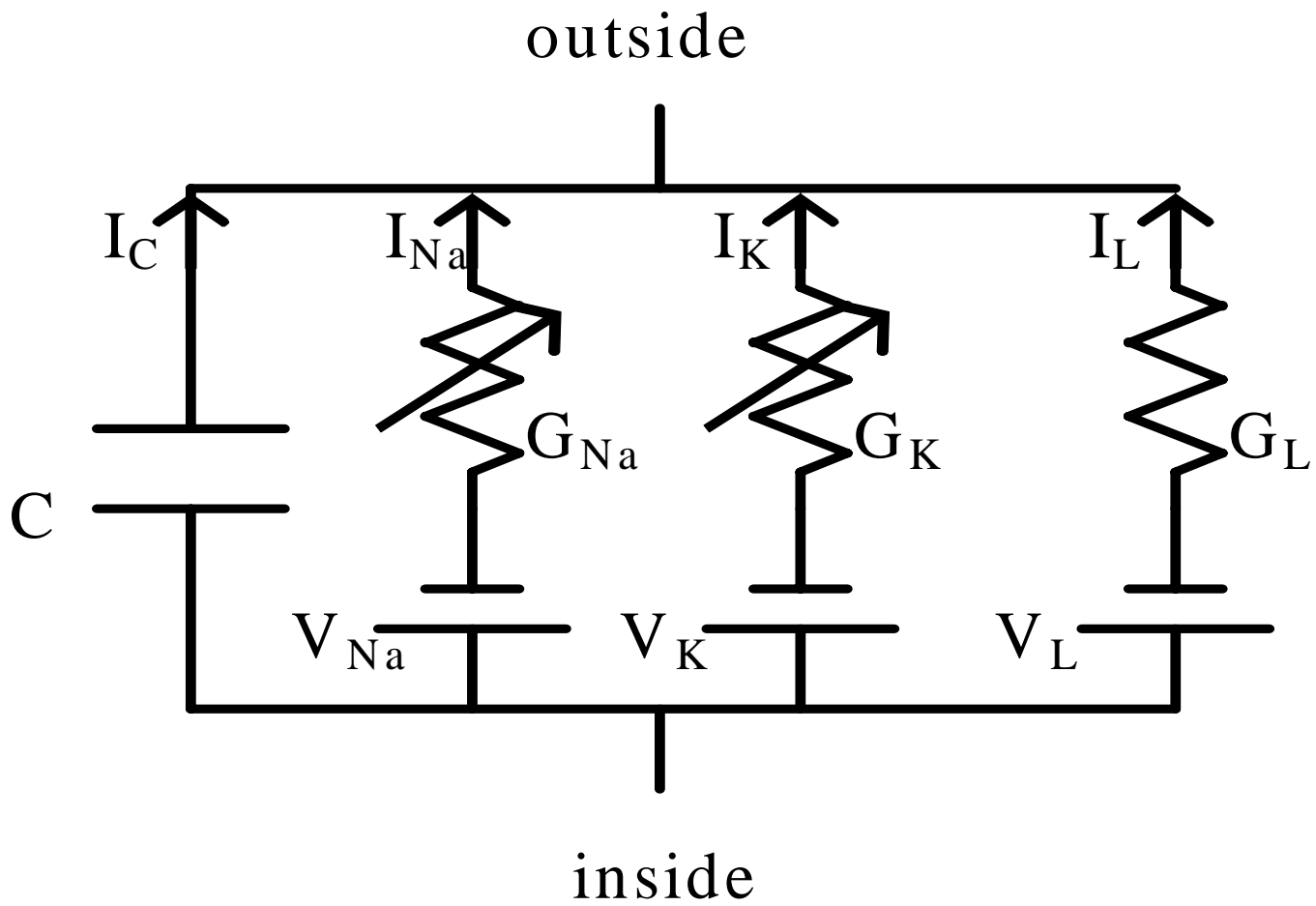
- Discharging: $Q(t) = Q_0 \exp(-t/RC)$
and $I(t) = I_0 \exp(-t/RC)$

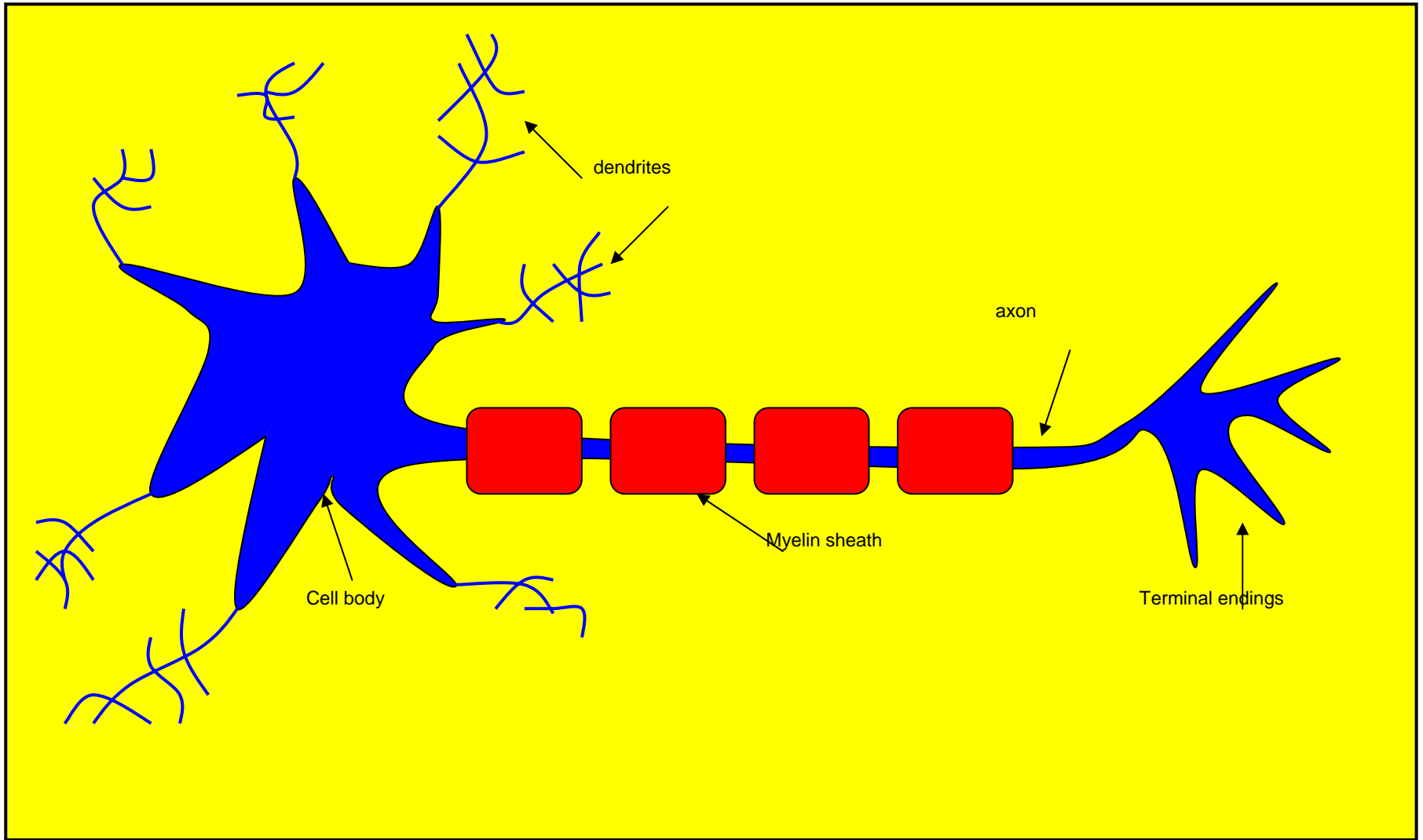


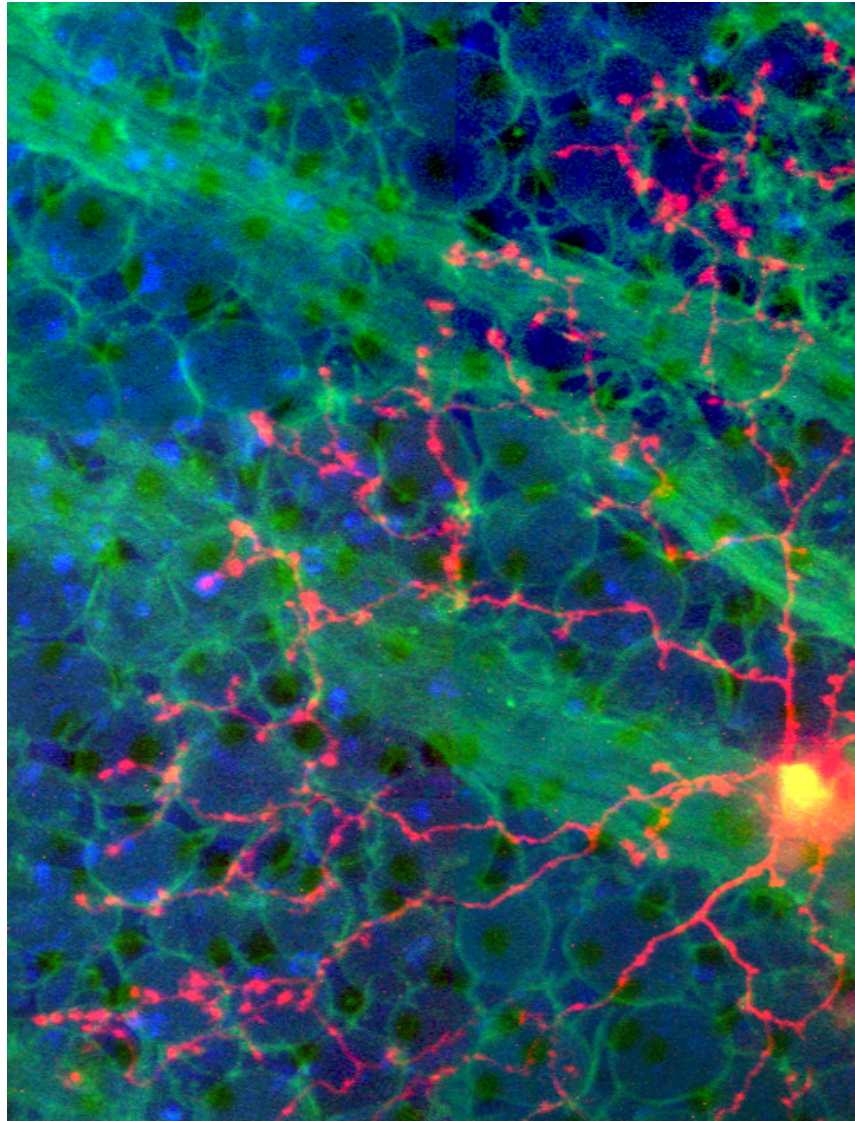
When $t = RC = 1$ time constant, then
 $Q = Q_0 \exp(-1) = 0.37Q_0$

Microscopic Picture of Electric Current

- E field in wire produces forces on free electrons leading to a net drift velocity: $v_{\text{drift}} = a\tau$, where a is the acceleration ($a = F/m = eE/m = e(V/L)/m$ where V is the applied voltage across the wire of length L) and τ is the mean-free time between collisions
- Solving for the charge drifting by allows us to compute the current I : $I = [(ne^2\tau/m)(A/L)]V = [1/R]V = GV$, where n is the free charge density, e is the electron charge, A is the wire cross-sectional area, R is the wire's resistance and G is its conductance
- We can also introduce intrinsic parameters: conductivity, $\sigma = ne^2\tau/m$ and resistivity, $\rho = 1/\sigma$ to write $R = \rho L/A$

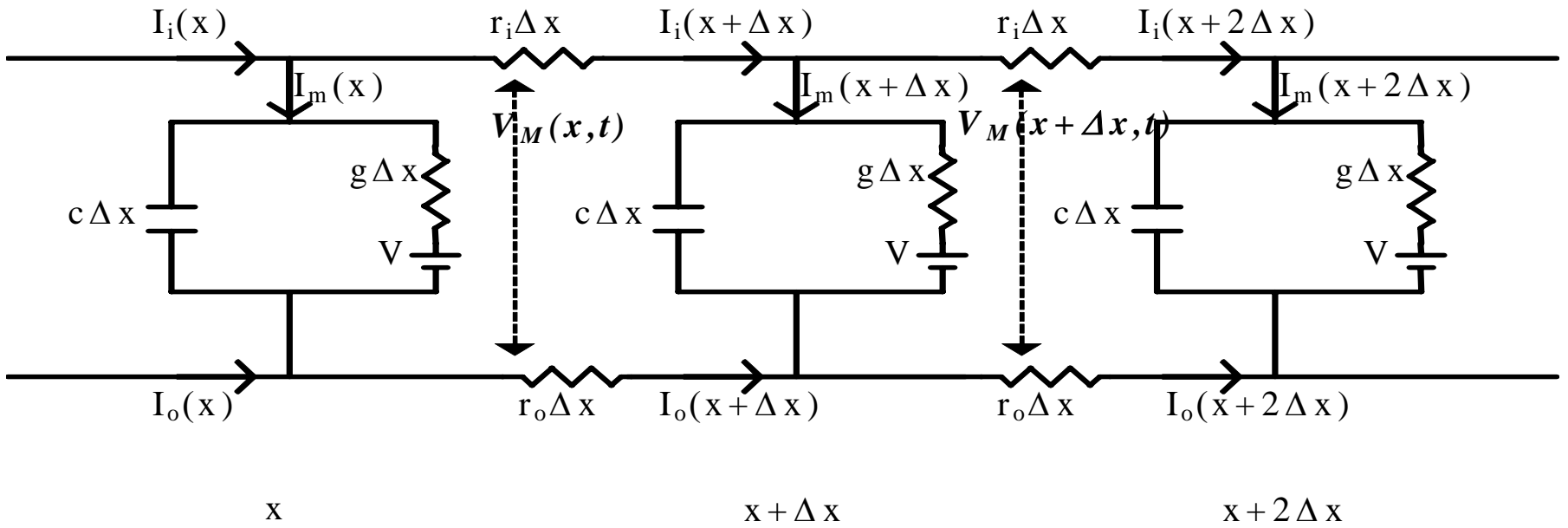






retinal “starburst” cell (red) found in visual processing network, Courtesy of Thomas Euler, Max Planck Institute for Medical Research, Heidelberg

Inside



Outside

