BME/ECE 386 EXAM #2 (W20)	NAME:	Solution	5
4 problems for 100 pts			
Problem #1: Short Answers (25	pts)		
<ul><li>(a) <u>EEG and PPG (4 pts)</u>: Choose true or false for make corrections.</li></ul>	or each of the follo	wing statements. If you	choose false, then
(i) The four lobes of the human brain are the	e femoral, parental	, o <u>riental</u> , and t <u>ropical</u> lob	es.
(ii) In EEG, the <u>Hawaiian</u> waves are associate	ted with deep slee	ρ.	
<ul><li>(iii) In pulse oximetry, nitrogen saturation in th intensities of light.</li></ul>			sion of two different
(i) False Frontal, parieta	il, occipita	I, temporal	
	Transmission of		
(iii) False oxygen, ab	sorption,	wavelengths	
(b) <u>Respiratory system (4 pts)</u> : Choose true or fa then make corrections.	alse for each of the	following statements. If	you choose false,
(i) Tonal velocimetry (TV) is the change in lu	ang volume during	normal breathing.	
<ul><li>(ii) Air enters the lungs by passing through the stock exchange occurs.</li></ul>	ne trachea, <u>brocco</u>	li, b <u>rachioles,</u> and finally	the ravioli where
(iii) Expiration involves relaxing the diaphragi	m and contracting	the external intercostal m	nuscles.
(i) False Tidal Volume			
(ii) False bronchi, bronchi	ioles, alv	eoli, gas	
(iii) False relaxing			
(c) Electrical Safety (4 pts): For any true/false qu	uestion, if you choo	ose false, then make corr	ections.
(i) (True or False): Aortic devibration is the r	major cause of dea	th due to electric shock.	
(ii) Briefly explain why a microshock can be	dangerous, despite	e involving very small cur	rents.
(iii) Briefly explain why a 3-prong power outle	et is safer than the	old-fashioned 2-prong po	ower outlet.
(i) False Ventricular fibrille	ation (V-F	={b)	
(ii) Small current is carried di	rectly to he	eart by cathet	ter device?

Gound fault current flows through earth ground wire

- (d) Spirometers (4 pts): For any true/false question, if you choose false, then make corrections.
  - (i) (True or False): In spirometry, the patient is asked to perform a voluntary meditational maneuver.
  - (ii) (True or False): The max measured volume change is called the free residual concentration (FRC).
  - (iii) Suppose the helium dilution method is used on a patient. The spirometer has a volume of 10L and the initial helium concentration is 5%. At the end of the procedure, the final helium concentration is 4%. What is the patient's FRC? Express your answer in liters.

(i) False: Forced expiratory maneuver (FEM)

(ii) False: Forced vital capacity (FVC)

2.51

(iii)  $C_s V_s = C_{Ls} (V_s + V_L) \Rightarrow \frac{C_s}{C_{Ls}} V_s = V_s + V_L \Rightarrow FRC = \frac{C_s - C_{Ls}}{C_{Ls}} V_s = \frac{5 - 4}{4} \times 10L$ 

- (e) Circulation (4 pts): For any true/false question, if you choose false then make corrections.
  - (i) (True or False): Oxygen-rich blood from the lungs is delivered to the heart's right atrium by the preliminary vein.
  - (ii) (True or False): Oxygen is carried in the blood by messagolubin molecules in white blood cells.
  - (iii) If the cardiac output is 93 mL/sec and the heart rate is 70 beats/min, then the heart's stroke volume is about 80 mL.

(i) False left, pulmonary

ii) False hemoglobin, red

True

(iii) CO = HRXSV > SV =  $\frac{93 \text{ mys}}{70 \text{ beat/min} \times \text{min/60s}} = 79.7 \text{ mL} \sim 80 \text{ mL}$ 

- (f) <u>Blood Pressure Measurement (5 pts)</u>: Choose true or false for each of the following statements. If you choose false, then make corrections.
  - (i) The mitral and pulmonary valves are open during diastole.
  - (ii) Systolic pressure is indicated by the second Tchaikovsky sound in the auscultatory method.
  - (iii) The oscillometric method provides stochastic atrial pressure.
  - (iv) A systolic pressure of 1.7 psi is indicative of hypotension.

AF.

DXXD

(c) False Tricuspid

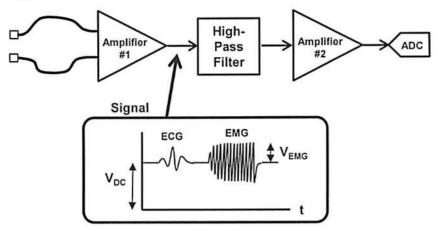
(ii) False 1st Korotkoff

(iii) False mean arterial pressure (MAP)

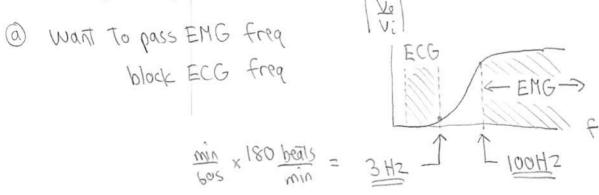
(iv) 17 psi × 760 mm Hg = 88 mm Hg = LOW?

## Problem #2: EMG Amplifier (25 pts)

You are asked to design an EMG amplifier to measure skeletal muscle activity with a pair of surface electrodes. As shown in the figure, the Amplifier #1 output is sent through a high-pass filter (HPF) to remove the DC offset as well as any ECG (i.e. cardiac) content. The filtered signal is sent through Amplifier #2 before data acquisition. Both amplifiers are powered by +/- 5V, so assume their outputs are limited to within 1V of each supply. The ADC operates from 0V to +5V.



- The output of Amplifier #1 has three components:
  - The DC component V<sub>DC</sub> can be as large as 1V.
  - The EMG signal amplitude V<sub>EMG</sub> can vary from 0.01% to 1% of V<sub>DC</sub>.
  - The EMG frequency content is between 100 Hz to 2 kHz.
  - The patient heart rate can be between 40 to 180 beats/min.
- The HPF frequency response is given by:  $\left| \frac{V_{out}}{V_{in}} \right| = \frac{(f/f_H)^2}{\sqrt{1+(f/f_H)^4}}$ , where f<sub>H</sub> = 1/(2 $\pi$ RC).
- (a) Suppose that a frequency is passed by the HPF if  $|V_{OUT}/V_{IN}| \ge 0.95$ . Furthermore, suppose a frequency is blocked by the HPF if  $|V_{OUT}/V_{IN}| \le 0.05$ . The available resistor values are R = 680 ohm, 6.8 kohm, 68 kohm, and 680 kohm. Assuming the filter uses a 0.1 uF capacitor, which resistor is the best choice? Show all work. Hint: Think carefully about the frequency content of the various signal components!
- (b) Suppose Amplifier #2 has  $V_{REF}$ = 2.5V and can have a gain  $A_2$  = 50, 100, 200, 500, or 1000. Which is the best choice of gain for Amplifier #2? Show all work.



(extra sheet for work) 
$$(\sqrt{1}) = (\sqrt{1}) = x$$

$$|\sqrt{1} + \sqrt{1}| = \frac{x^{2}}{\sqrt{1} + x^{4}} > 0.95 @ \frac{x^{2} = 100 Hz}{\sqrt{1} + x^{4}}$$

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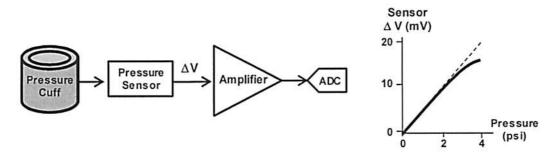
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( Noose A = 100

## Problem #3: Blood Pressure (25 pts)

You are asked to design a blood pressure measurement system with a maximum pressure reading of at least 205 mmHg. The desired sensitivity is 0.25 mmHg over the entire measurement range. The electronic hardware consists of a piezoresistive pressure sensor, instrumentation amplifier, and analog-to-digital converter (ADC).



- The sensor calibration curve is nonlinear, and can be fitted with a polynomial equation given by  $\Delta V = aP bP^3$ , where a = 5 mV/psi and b = 0.05 mV/psi<sup>3</sup>. For example, the sensor output voltage is  $\Delta V = 9.6$  mV when P = 2 psi.
- There are two available amplifiers: (A<sub>d1</sub> = 75, V<sub>N1</sub> = 0.2 mV) and (A<sub>d2</sub> = 125, V<sub>N2</sub> = 0.3 mV). Both amplifiers have V<sub>REF</sub> = 1.5V and are powered by +5V and GND. Assume the amplifier outputs are limited to within 1V of each supply.
- The ADC operates from 0 to 5V (12 bits) with V<sub>N</sub> = 0.5 mV.
- NOTE: The total noise from two components is computed by:  $V_{N,TOTAL} = \sqrt{{V_{N1}}^2 + {V_{N2}}^2}$
- > Are all the design requirements satisfied by one, both, or none of the amplifiers? You must explain why an amplifier works or doesn't work. Show all work!

Hint: Be careful with the nonlinear response of the pressure sensor!

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Server Collections

(extra sheet for work)

Defends on During.

\* Worst case is smallest 3 Vrus > 5 m/ - 3 (,05 m/s) (3,965 psi)

$$SD_{3} \quad \Delta P_{min} = \frac{1.22 \text{ mV}}{A_{A} \left(2.64 \frac{\text{mV}}{\text{ps}}\right)} = .051 \text{ mV/nmHg} \quad \text{Too high}$$

$$A_{\lambda}(\lambda_1 b T_{\beta s})$$

$$\frac{1.2\lambda}{1} = 0$$

Amp#1: A= 75 -> DPmin = (1.264) = ,0062 psi X

= 
$$.0062 \times \frac{760}{14.7} = .32 \text{ mmHg X}$$

 $\Delta V_{ADC} = \frac{5-0V}{2^{12}-1} = 1.21 \text{ mV}$ 

VNI, Total = [,22+,52 = ,54mV

VN2, TOTAL = (.32+.52 = ,58 MV

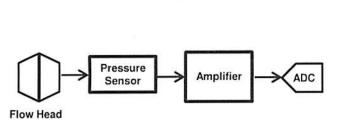
= 2.64 myrsi (+6)

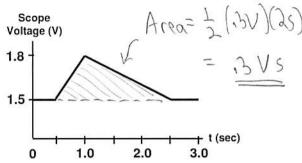
Amp#2: A=125 - DPmin= 120037 psi V

Winner is A=125 ==

## Problem #4: Spirometer (25 points)

You are asked to design a flow spirometer system to measure a maximum flow of  $F_{MAX} = 25$  L/s with a sensitivity of  $\Delta F_{MIN} = 0.045$  L/s. You know the instrumentation amplifier has  $A_d = 1000$  and  $V_N = 5$  mV. It is powered by 10V and GND, so you can assume the amplifier output is limited to +9V (max) and 1V (min). The ADC operates from 0 to 5V with 12 bits and V<sub>N</sub> = 2 mV. The system is calibrated by injecting 2 liters of air into the spirometer. The measured voltage is shown below.





- (a) Does the current system satisfy both, one, or none of the design specifications? Show all work!
- (b) You have the option of replacing **ONE component**. A new amplifier has  $A_d = 800$  and  $V_N = 4$  mV while a new ADC operates from 0 to 10V with 12 bits and  $V_N = 5$  mV. Should you replace the amplifier or the ADC? Show all work and justify why a component works or does not work!

NOTE: The total noise from two components is computed by:  $V_{N,TOTAL} = \sqrt{{V_{N1}}^2 + {V_{N2}}^2}$ 

(c) Suppose we measure a patient taking a deep breath and forcefully exhaling into the spirometer. The resulting plot of both the inhalation and exhalation is shown on the right. Sketch the resulting curve for volume vs time. Make sure to label your axes and include the value of the patient's FVC!

VMas = 1.5 + ASRF

 $\frac{\int (V_{H} - 1.5) dt}{0.5 \text{ V:s}} = A_{a} SR \int F dt \rightarrow SR = \frac{0.3 \text{ Vs}}{1000 \cdot 2L} = 1.5 \times 10^{-1}$ 

Flow (L/s) t (sec)

 $V_{\text{max}} = 5 = 1.5 + A_{\text{A}}SRF_{\text{max}} \rightarrow F_{\text{max}} = \frac{5 - 1.5 \text{ V}}{1000 \times 1.5 \times 10^{4} \text{ V/s/L}} = 23.3 \text{ V/s} \times 10^{10} \text{ V/s/L}$ 

V,= 52+22 = 5,4 mV =  $\Delta V_{ABC} = \frac{5-0}{12-1} = 1.22 \text{ mV}$ 

DFMN = 1000 (1,5x104 VIS/L)

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Exam 2

(Active 2) 
$$V_{Max} = 1.5 + 1000 (1.5 \times 10^{4} \text{ L})(20^{5}) = 5.25 \times 10^{4} \text{ Mys}$$

(extra sheet for work)

$$\Delta F_{min} = \frac{0.052 \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ V}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ V}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U}) \text{ U}} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^{4} \text{ U})} = \frac{1.5 \times 10^{4} \text{ U}}{1000 (1.5 \times 10^$$